

Role of Electron Trapping in SRS on NIF Ignition Targets

D. J. Strozzi¹, E. A. Williams¹, D. E. Hinkel¹, H. A. Rose²

*¹Lawrence Livermore National Laboratory
7000 East Avenue, Livermore, CA 94550, USA*

*²Los Alamos National Laboratory
Los Alamos, NM 87545, USA*

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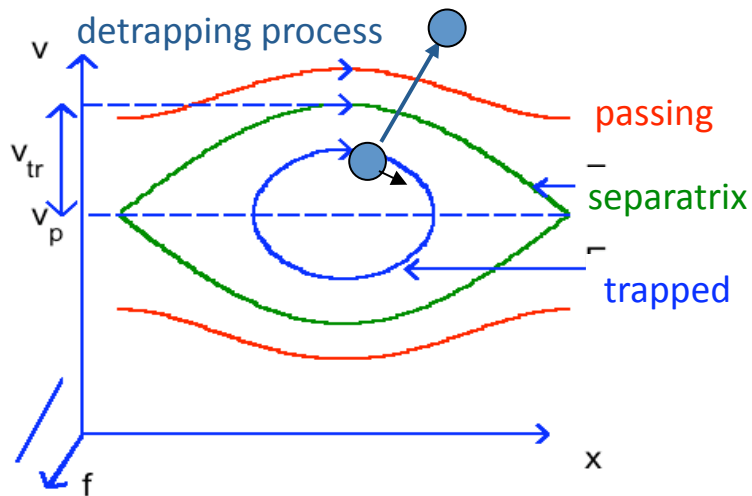
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Summary

- Electron trapping nonlinearity can either enhance (damping reduction or “kinetic inflation”) or saturate (e.g., frequency shift) SRS.
- Simple assessment of whether trapping is likely provided by “bounce number.”
 - Number of bounce orbits completed before detrapping by collisions or geometric loss.
 - Damping reduction and frequency shift develop smoothly as bounce number increases; no hard threshold.
- Bounce-number assessments of NIF ignition designs show:
 - Trapping is unlikely on the outer beams, where SRS is weak.
 - Trapping may affect SRS on the inner beams, and more so on Be than CH ablators.

Likelihood of electron trapping nonlinearity quantified by “bounce number” N_B

- **Electron trapping nonlinearities** (e.g., inflation, frequency shift, Langmuir-wave self-focusing) are effective only if the electrons resonant w/ plasma wave complete ~ 1 bounce orbit before being detrapped.



Important detrapping processes:

1. Speckle sideloss (geometric effect): $N_{B,sl}$
 2. Collisions: electron-electron and electron-ion treated together: $N_{B,coll}$
- (SSD – way too slow to matter)

$$\text{Bounce number: } N_B \equiv \frac{\tau_{de}}{\tau_B} = \frac{\text{detrapping time}}{\text{bounce period}}$$

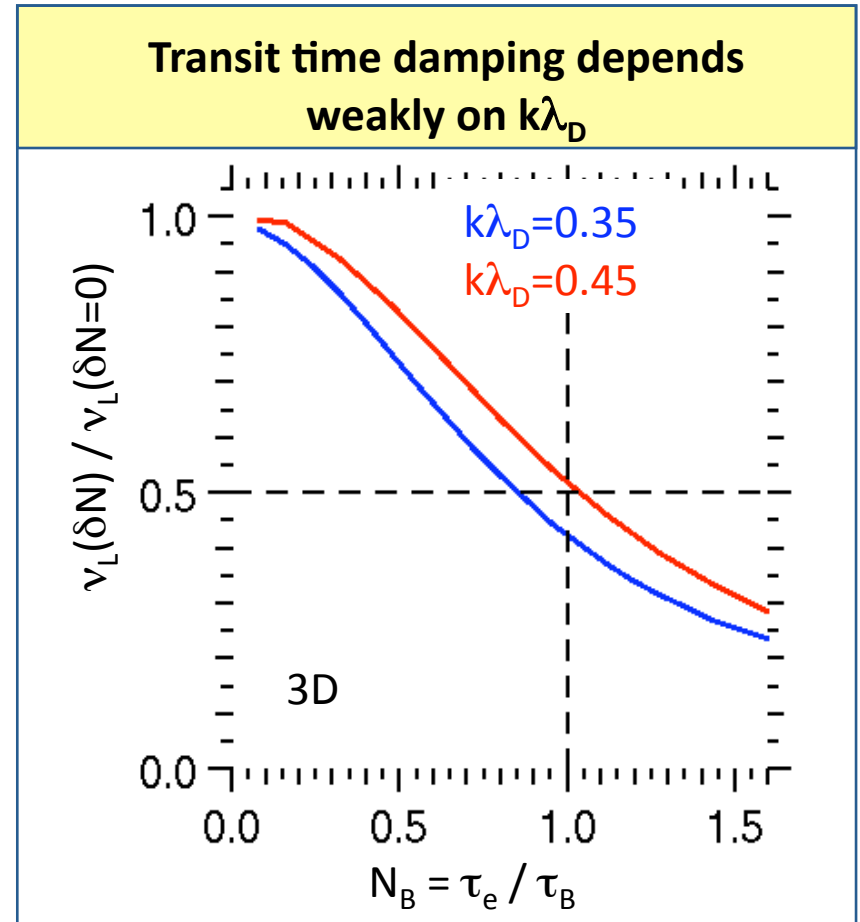
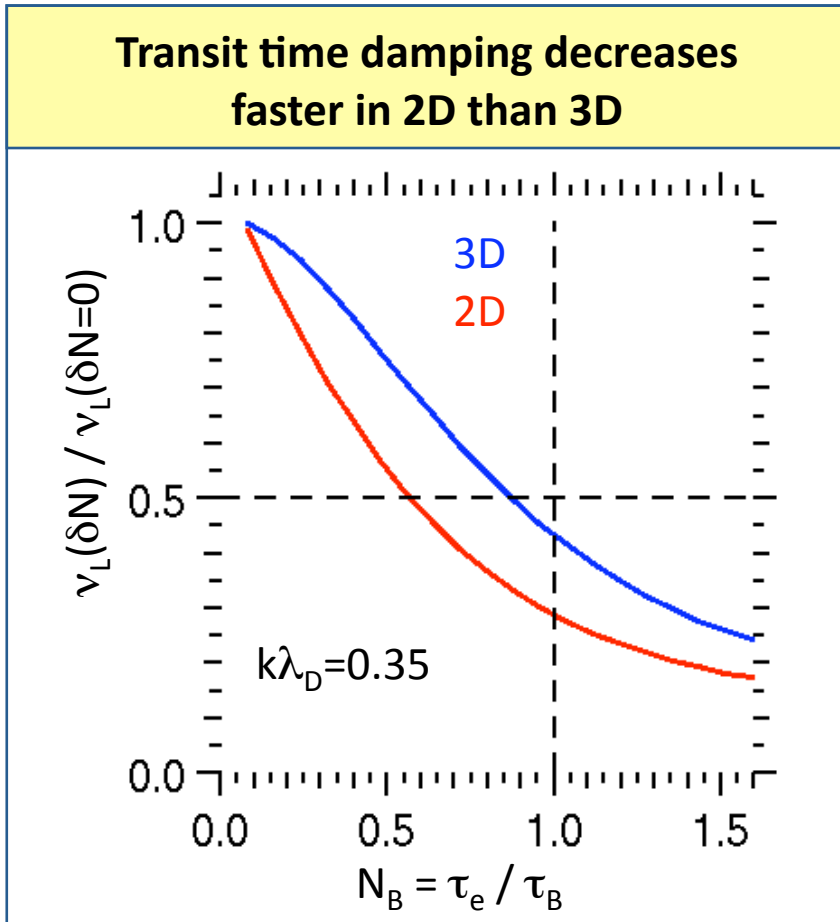
$$\text{Bounce period: } \tau_B \equiv \frac{2\pi}{\omega_{pe}} \sqrt{\frac{n_e}{\delta n}}$$

Joint bounce number: $N_B^{-1} = N_{B,sl}^{-1} + N_{B,coll}^{-1}$ Independent detrapping processes.

$$i^{\text{th}} \text{ process: } N_{B,i} \equiv \frac{\tau_{de,i}}{\tau_B} = \left[\frac{\delta n}{\delta n_{\text{thresh},i}} \right]^{p_i}$$

$$\text{Threshold: } \delta n = \delta n_{\text{thresh},i} \rightarrow N_{B,i} = 1$$

Rose calculation of nonlinear transit-time damping in finite speckle give $N_B \approx 1$ for significant damping reduction

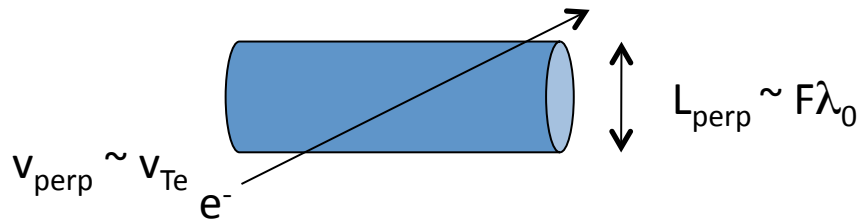


$$\frac{v_L(\phi)}{v_L(\phi=0)} \approx G\left(\frac{\omega_b}{v_{\text{side loss}}}\right)$$

$$v_{\text{side loss}} \sim v_e / (\text{Langmuir wave scale length})$$

*With reduced damping a given high-frequency beat ponderomotive force drives a larger Langmuir wave, so N_B from the linear δn is an under-estimate.

Sideloss threshold: lower in 2D than 3D



$$N_{B,sl} = \frac{\tau_{sl}}{\tau_B} = K_{sl} \frac{L_{\perp}}{v_{Te} \tau_B} = \left[\frac{\delta n}{\delta n_{sl}} \right]^{1/2}$$

$K_{sl} = (0.98, 0.48)$ in (2D, 3D)
(thermal Maxwellian leaving cylinder)

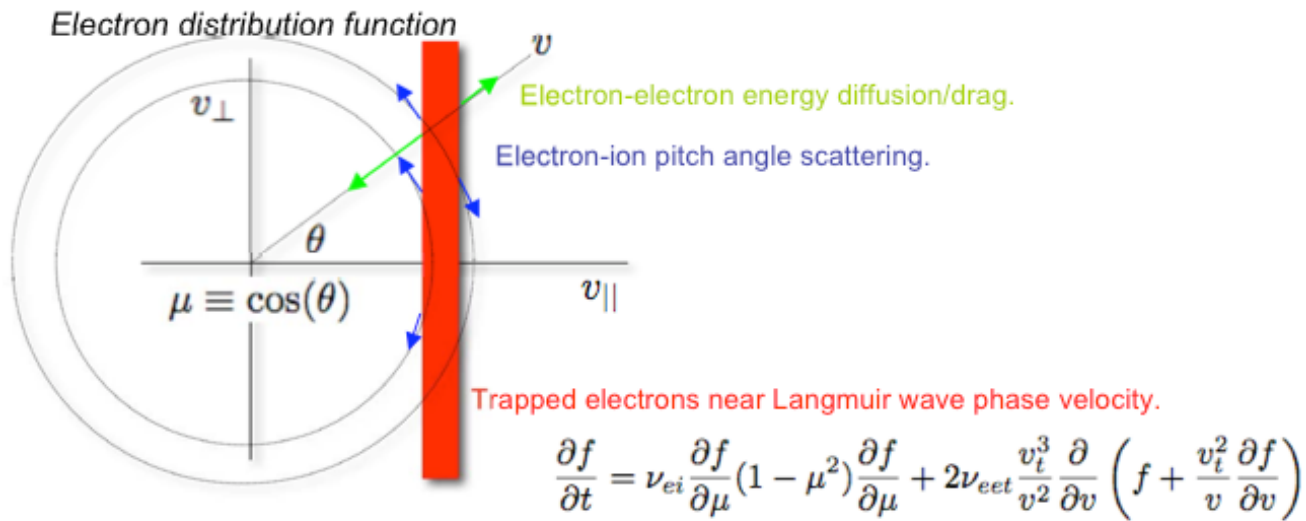
Speckle sideloss:

$$L_{\perp} \approx F \lambda_0 \quad \frac{\delta n_{sl}}{n_e} \equiv 1.33 \cdot 10^{-4} \left[\frac{8}{F} \right]^2 \frac{n_c}{n_e} T_{e,kV} \quad [3D]$$

Endloss also occurs,
usually much slower:

$$\tau_{el} \sim \frac{L_{\parallel}}{v_{\text{phase}}} \quad L_{\parallel} \sim 5F^2 \lambda_0 \quad \frac{\tau_{sl}}{\tau_{el}} \sim \frac{1}{5F} \frac{v_{\text{phase}}}{v_{Te}} \ll 1$$

Collisional thresholds: e-e and e-i treated together



$$N_{B,coll} = \frac{\tau_{coll}}{\tau_B} = \left[\frac{\delta n}{\delta n_{coll}} \right]^{3/2} \quad \frac{\delta n_{coll}}{n_e} \equiv \left[2\pi \ln 2 \frac{\nu_{ei}(v = v_T)}{\omega_p} \frac{(k\lambda_D)^2}{G[v_{ph}/v_{Te}, Z_{eff}]} \right]^{2/3}$$

For $v_p \gg v_{Te}$:

$$\tau_{coll} \approx \frac{28.4}{3 + Z_{eff}} \frac{n_e \lambda_{De}^3}{\ln \Lambda} \frac{(\omega/\omega_{pe})^3}{(k\lambda_{De})^5} \frac{\delta n}{n_e} + O\left(\frac{v_p}{v_{Te}}\right)^2$$

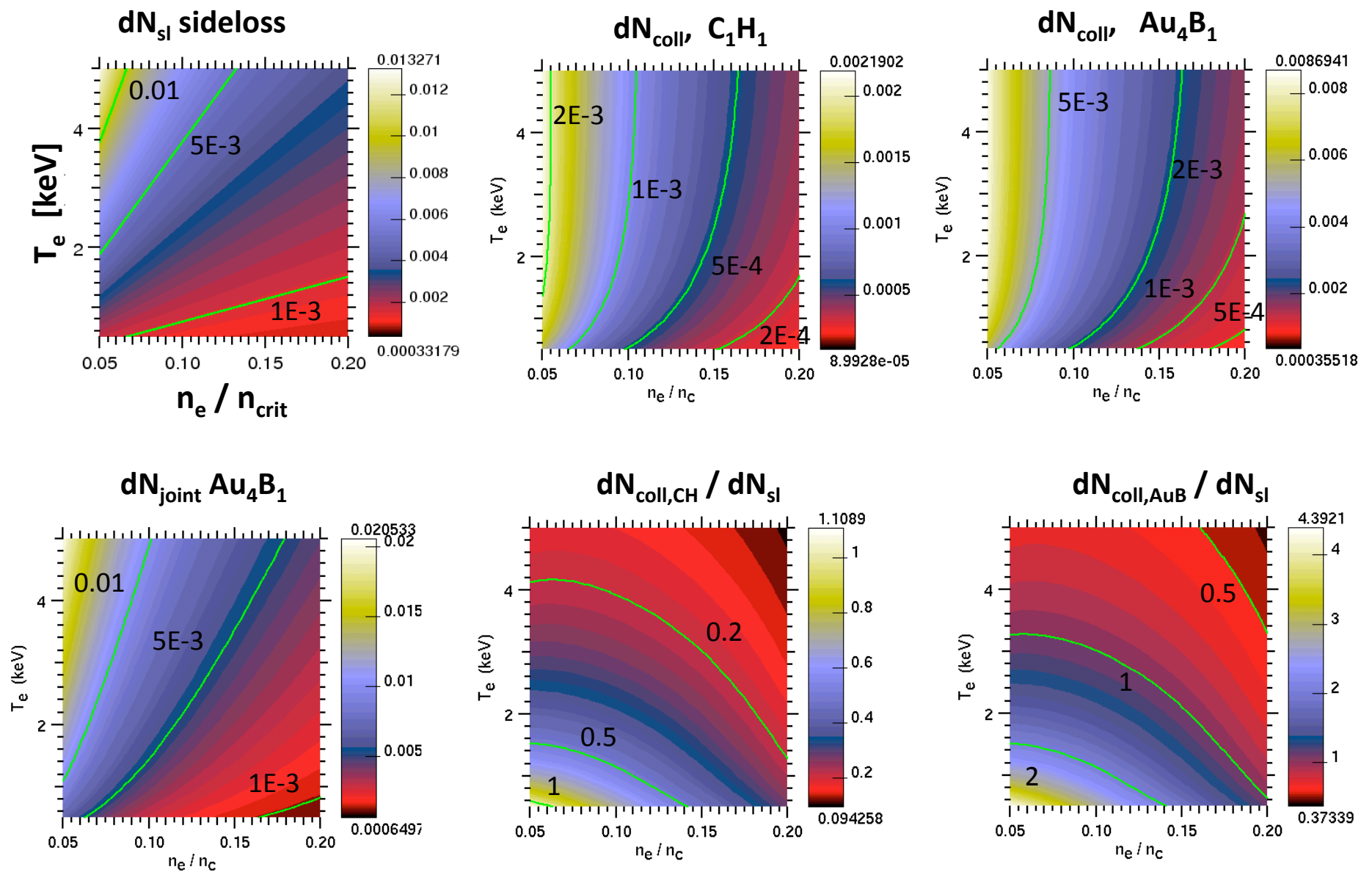
Depends on wave amplitude δn , unlike sideloss

3 (e-e energy diffusion/drag + pitch angle)
+ Z_{eff} (e-ion pitch angle)

¹E. A. Williams, D. J. Strozzi, et al., Anomalous Absorption Meeting, 2008.

Trapping threshold for sideloss usually dominates collision threshold, but collisions can matter for high-Z, cold, low-density plasmas

$$dN = dn/n_e$$



Overview of trapping risk for NIF designs

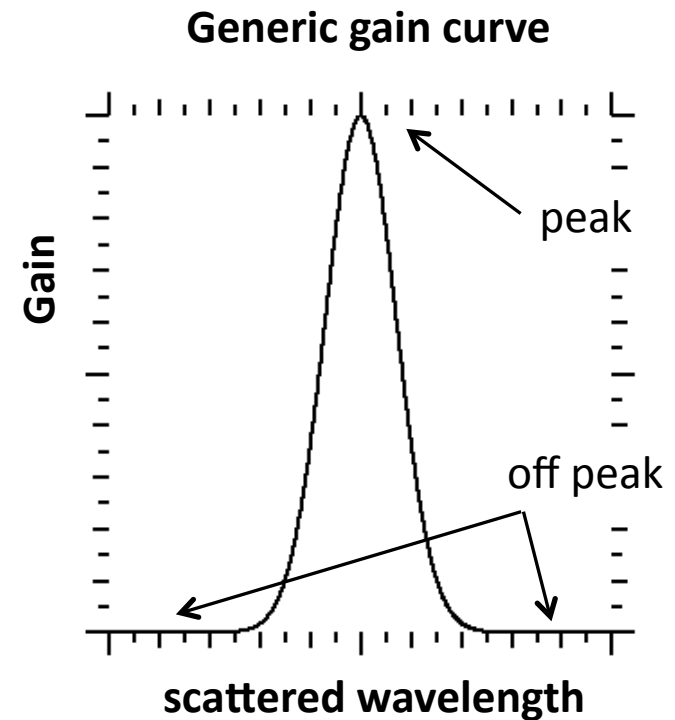
trapping
more
likely



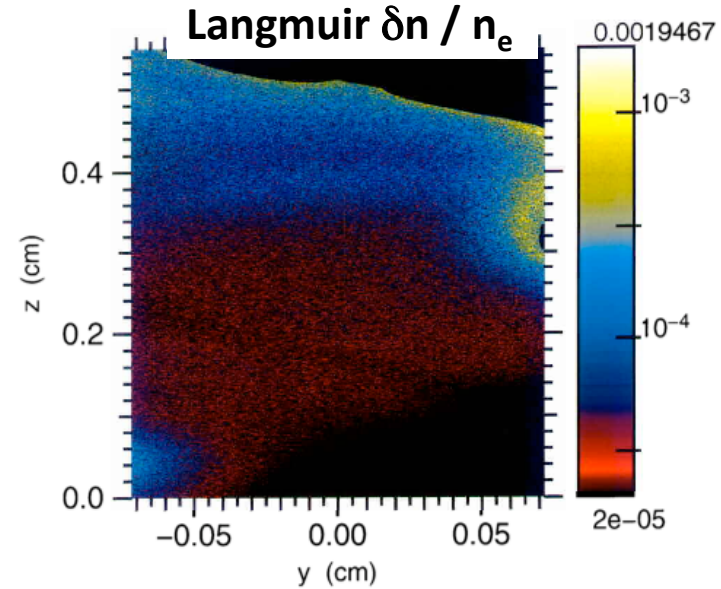
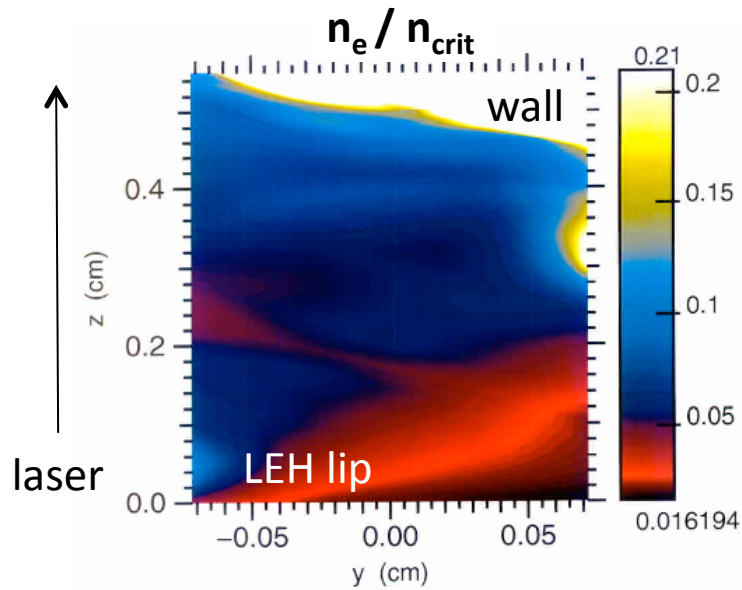
- outer beam, off peak: Pierre Michel looked w/ SLIP closer to LEH than max gain (higher T_e , lower n_e , higher $k\lambda_{De}$); even less risk than on-resonance.
- outer beam, peak: SRS is linearly weak, stays below trapping threshold; nonlinearity not a concern.
- inner beam, off peak: assessed with ray-based DEplete code.
- inner beam, peak: Trapping may occur here, but does it inflate or saturate?

* **"Peak" SRS:** at scattered wavelength of max gain; we generally envelope around this in pf3d. Assessed by post-processing the Langmuir waves driven in pf3d.

* **"Off peak" SRS:** at wavelengths with lower linear gain; less SRS expected, but a pf3d run won't include it unless we envelope around an off-peak wavelength.

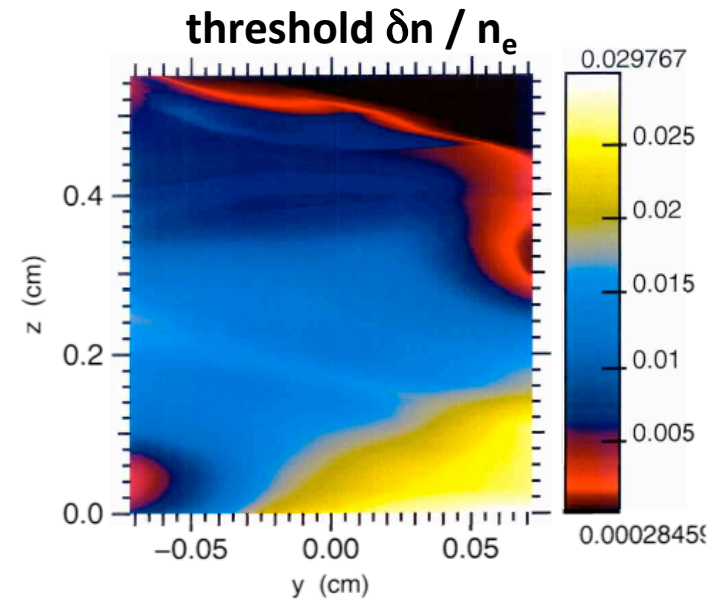


Outer beam peak SRS: pf3d run of 50 deg. beam, $T_{\text{rad}} = 285$ eV, Be ablator, at 12 ns (peak power)

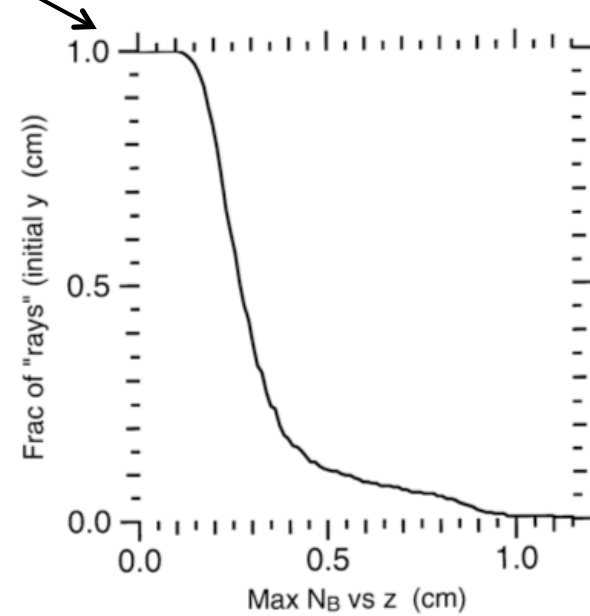
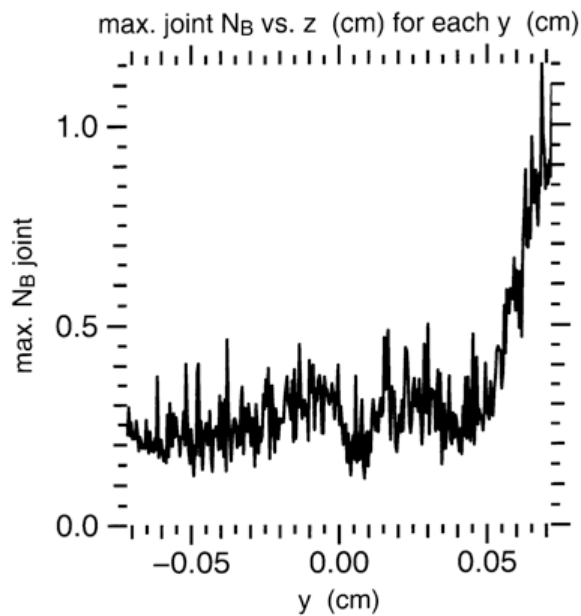
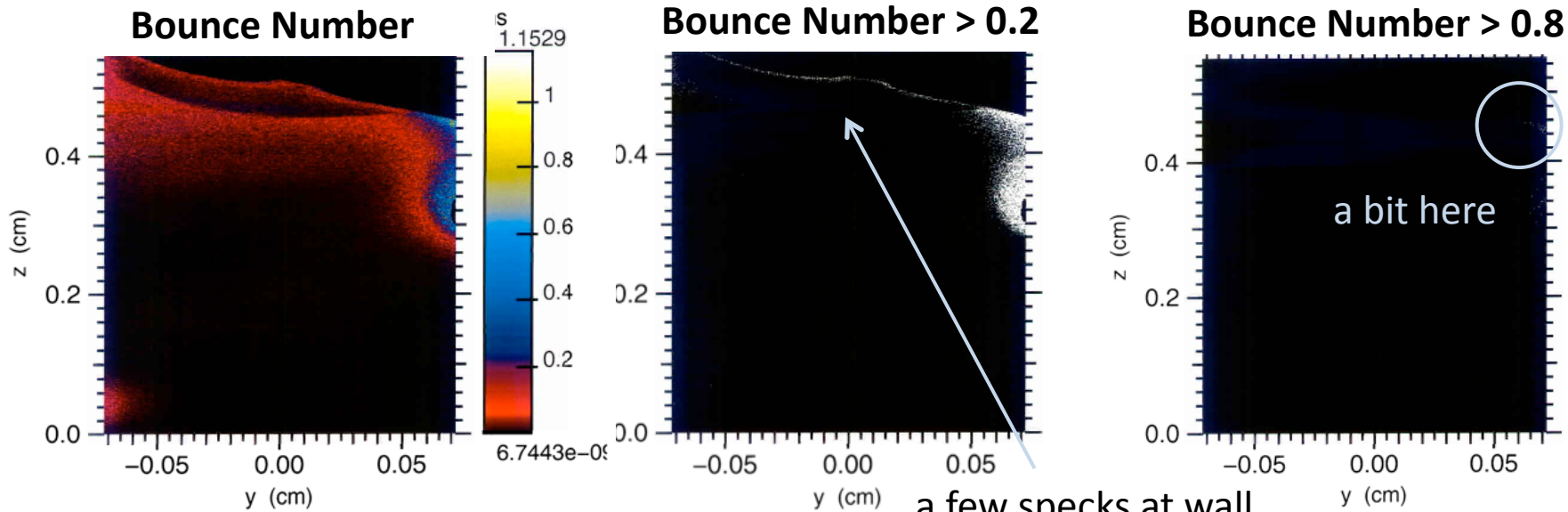


pf3d SRS reflectivity $\sim 10^{-6}$

Off-peak outer beam:
Examined by Pierre Michel w/
SLIP, trapping even less of a
concern.

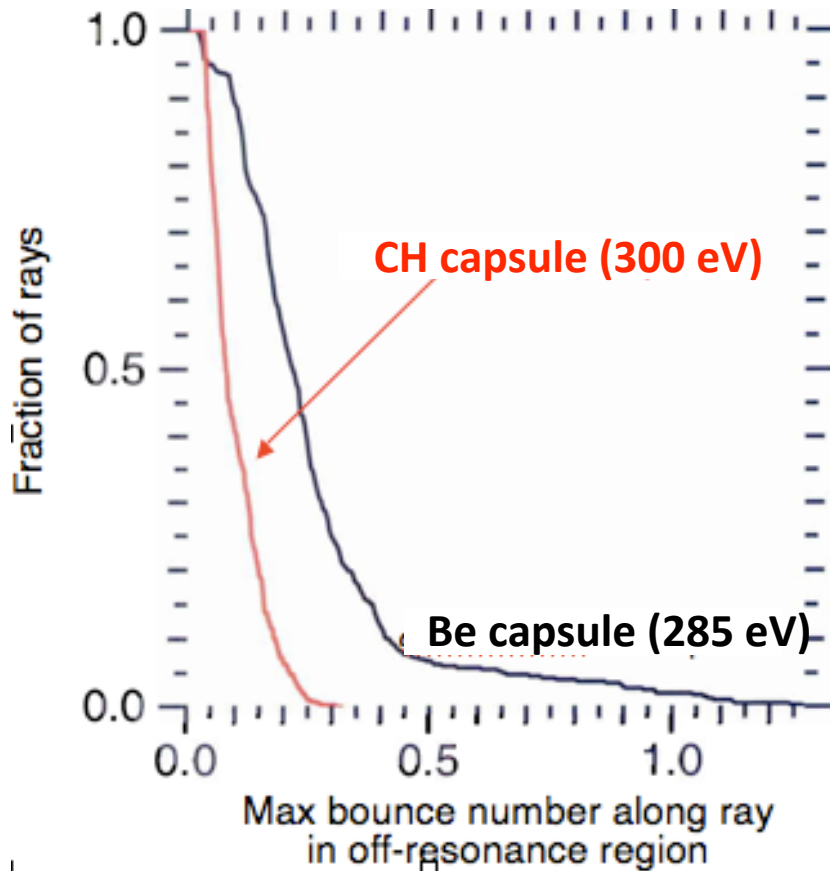


Outer beam peak SRS: bounce number $\ll 0.5$ almost everywhere: trapping is not a concern (same results for CH design)

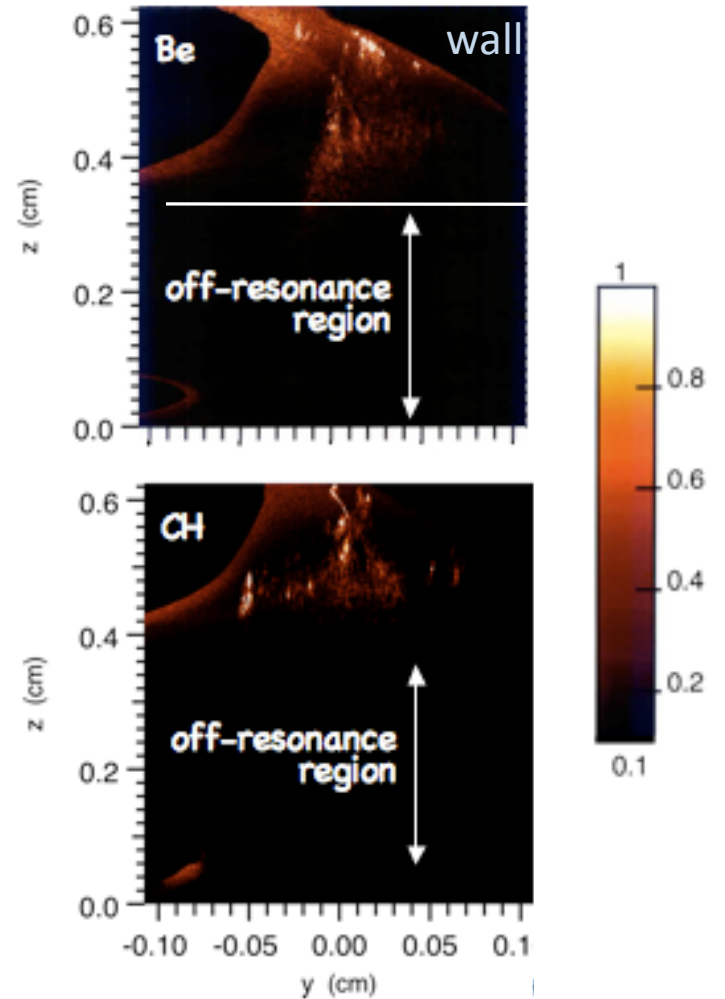


Off peak inner beam SRS: bounce number assessment shows little risk for kinetic inflation

Off-Peak Bounce Number Analysis from DEpleteE¹

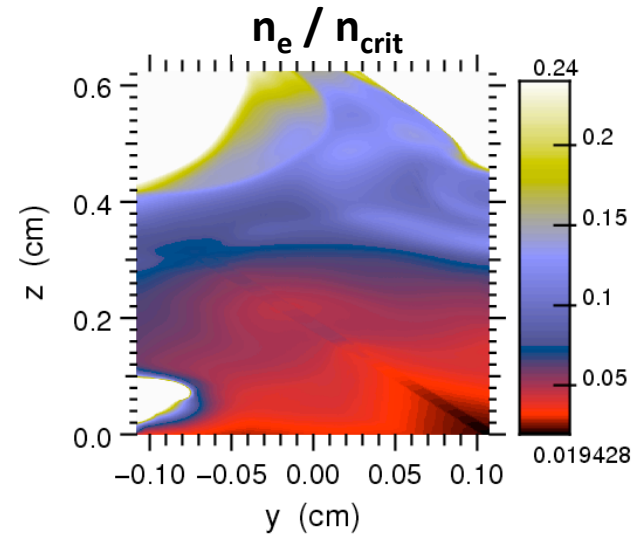
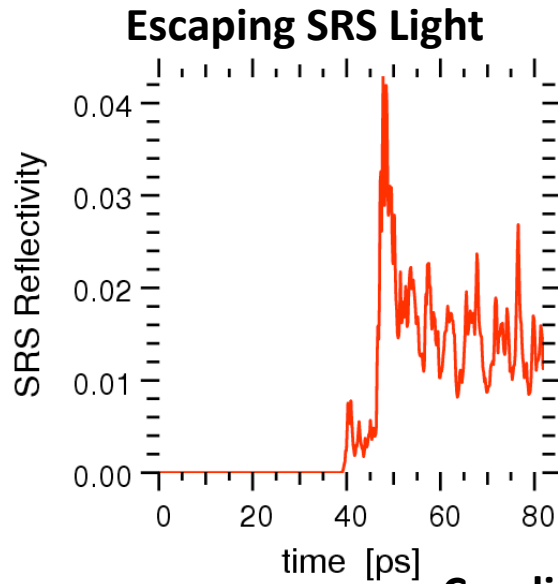


“Peak” Bounce Number from pF3D simulations

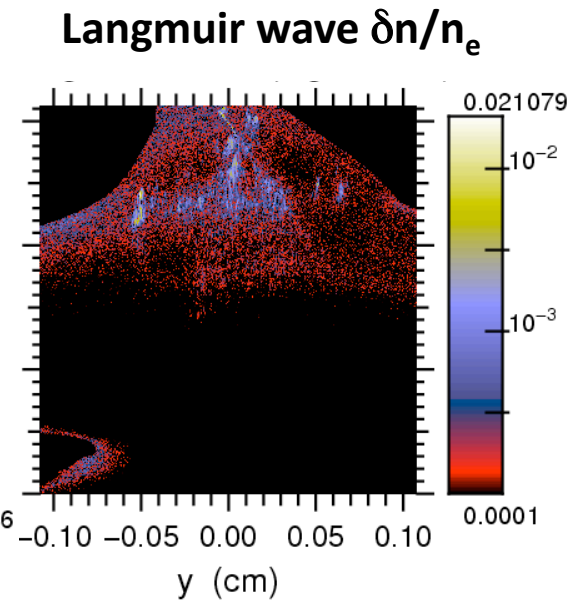
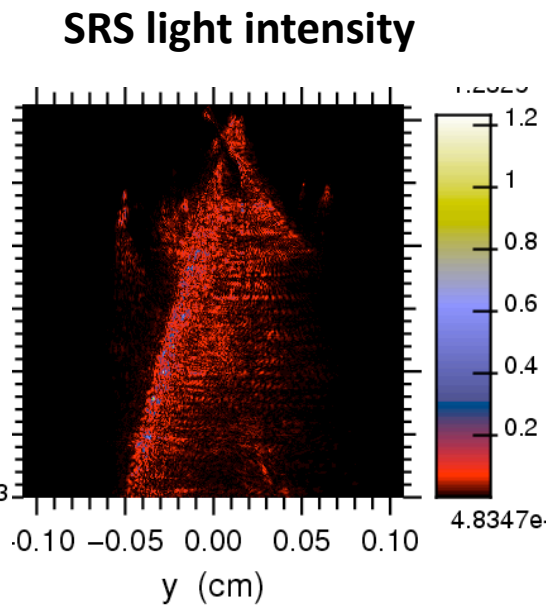
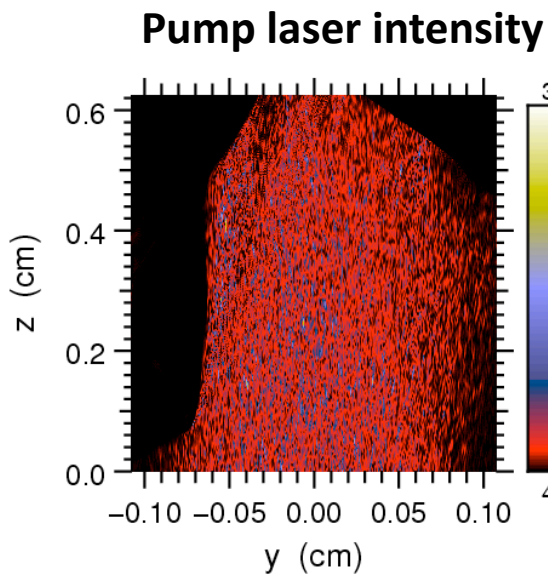


¹D. J. Strozzi *et al.*, Phys. Plasmas 15, 102703 (2008)

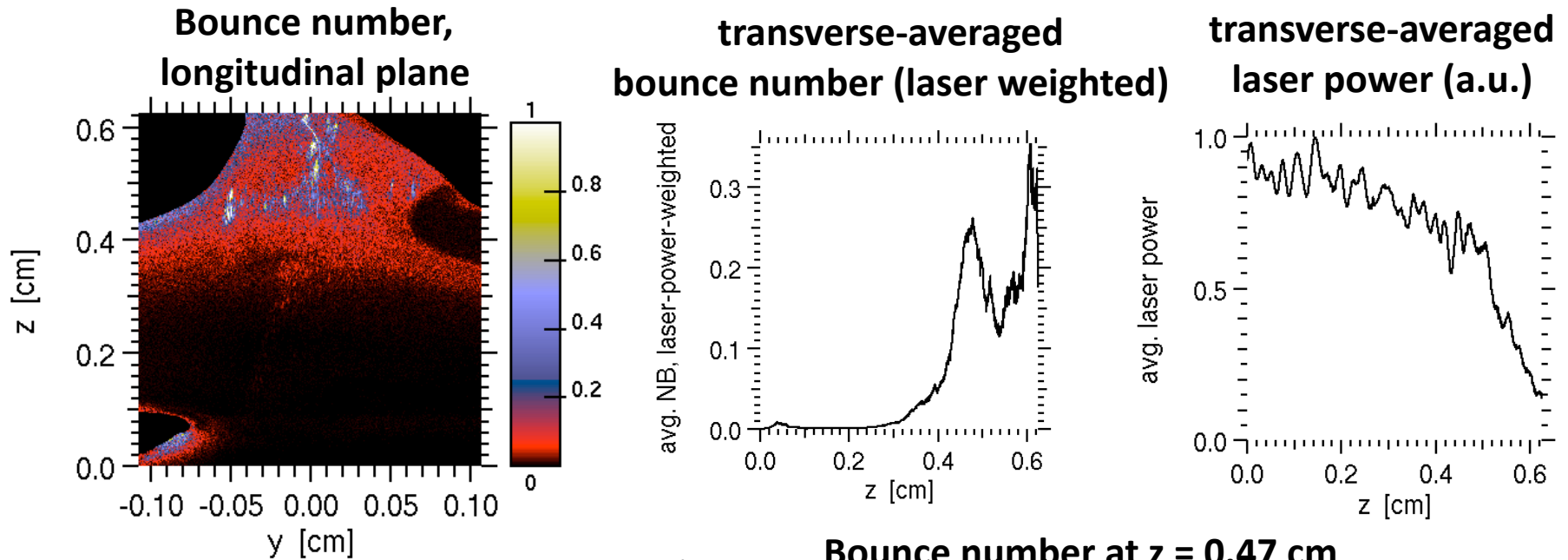
Inner beam peak SRS: post-process pF3D run of CH ablator, 300 eV radiation temperature, LEH liner



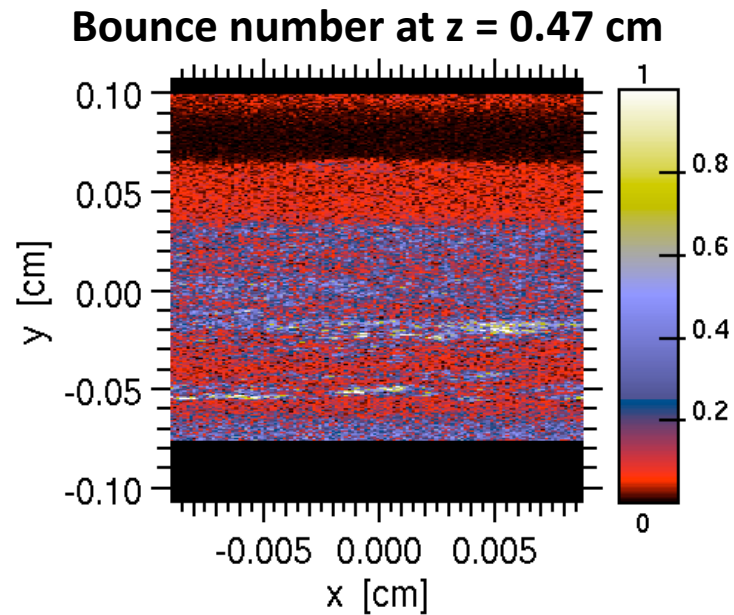
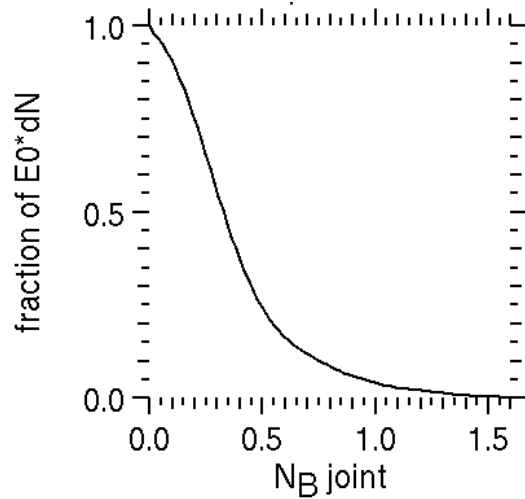
Conditions on longitudinal (yz) plane, 82 ps



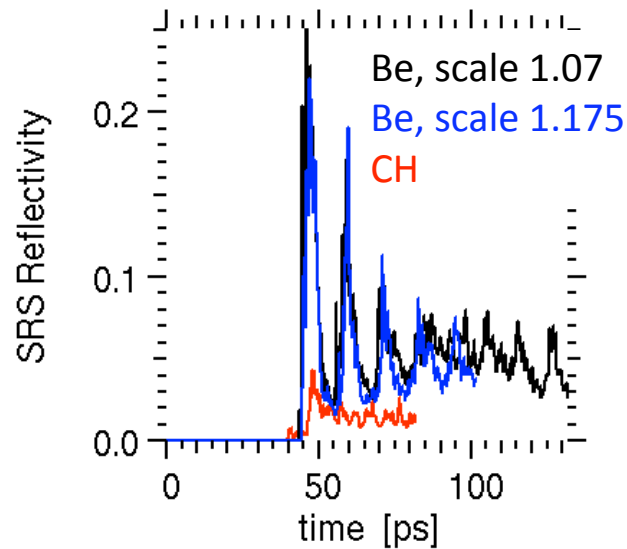
CH ablator case: conditions at run end (82.4 ps)



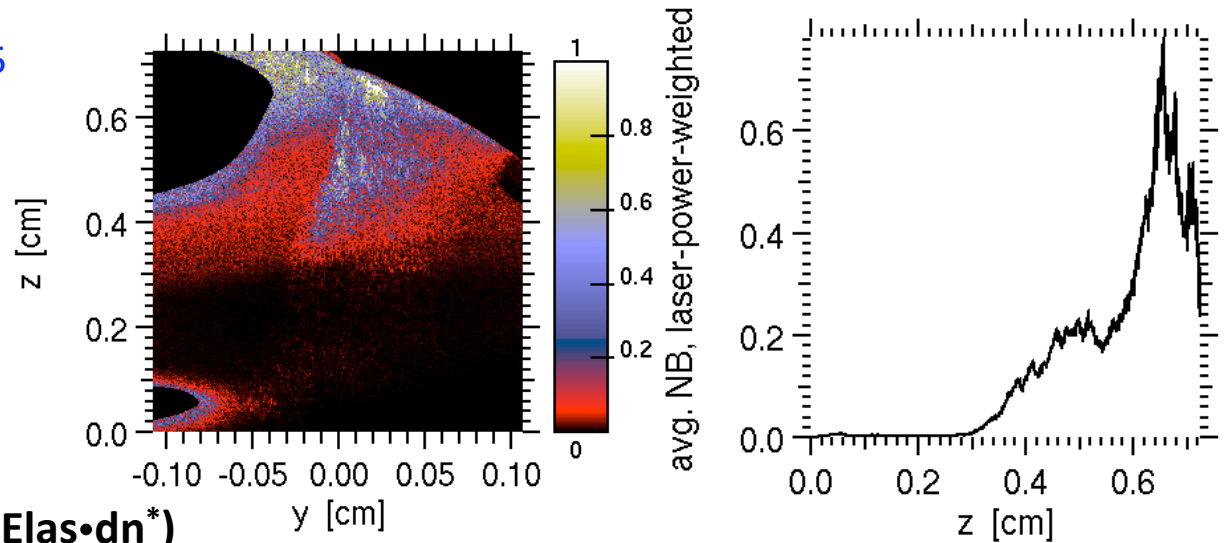
Fraction of scattered coupling ($E_{\text{las}} \cdot \delta n^*$) above a bounce number, $z = 0.47$ cm



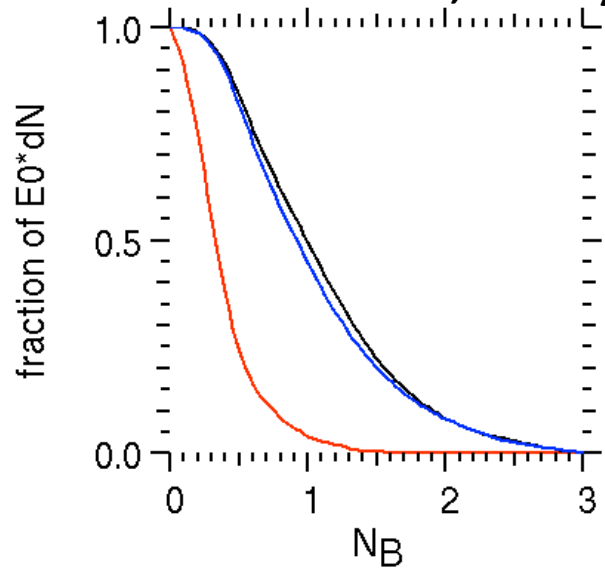
Comparison of CH and Be ablaters: more SRS, and more trapping risk, in Be



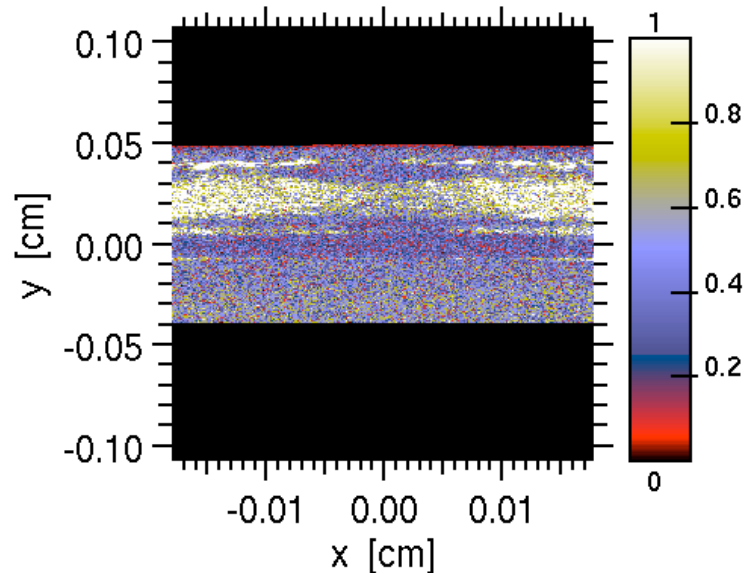
Bounce number Be scale 1.07, time = 101 ps



Fraction of scattered coupling ($E_{sc} \cdot dN^*$) above a bounce number, over xy plane



Bounce number at $z = 63$ cm

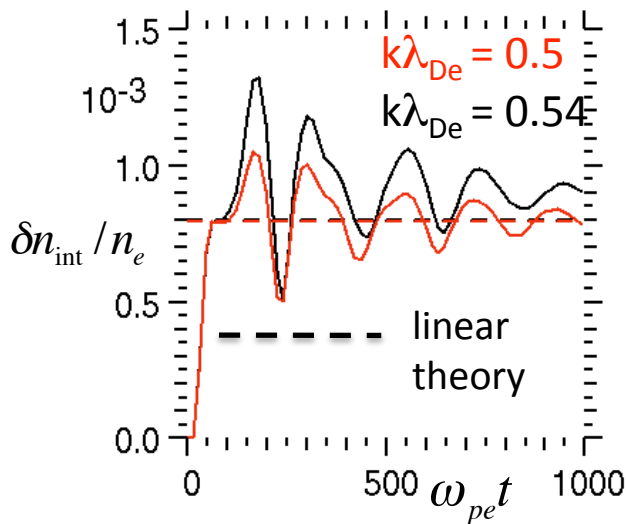
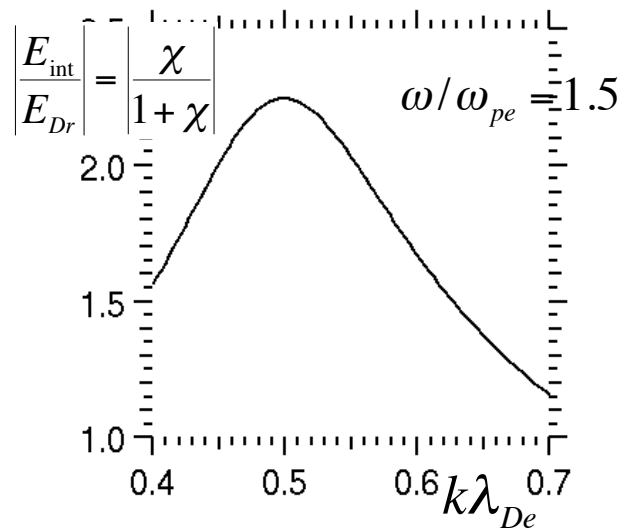


Summary and Future Work

- “Bounce number” provides a simple assessment of whether electron trapping nonlinearity can overcome detrapping processes (sideloss, collisions).
 - Sideloss is usually the dominant detrapping process.
- SRS on NIF outer beams seems below trapping threshold.
- SRS on NIF inner beams are more worrisome; designs with CH ablaters less so than Be.
- A reduced model is needed to quantitatively study trapping effects: does it enhance SRS (inflation) or saturate it?
- Work is underway to implement such a model in pF3D, and benchmark it against kinetic simulations (R. Berger, H. Rose, D. Strozzi).

1D Vlasov simulations with Saprستی¹ of driven EPW's in LEH conditions: departures from linear theory, even though $N_B \gg 1$

“Resonance” is broad, not that high



Homogenous, periodic plasma:

$$n_e/n_{crit} = 0.07 \quad T_e = 5 \text{ keV};$$

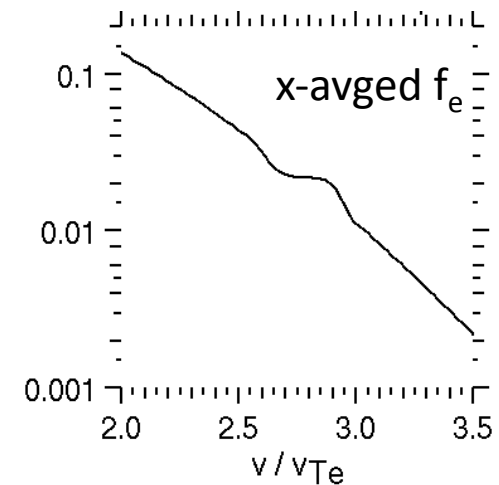
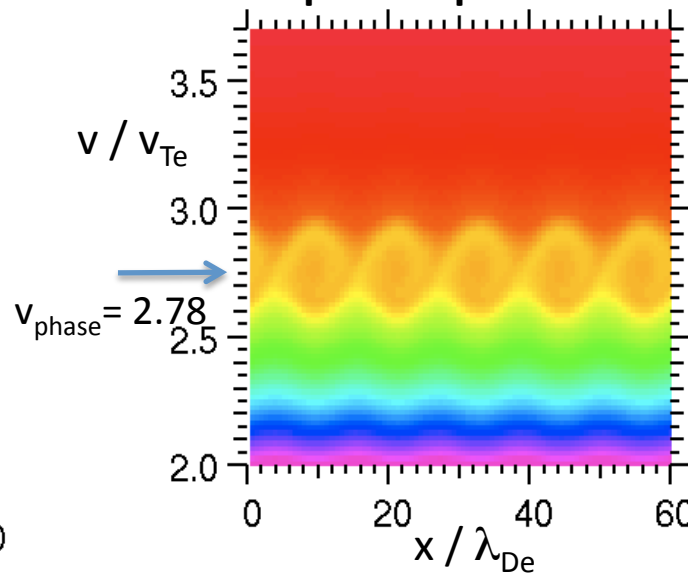
$$v_{Krook} = 4.3E-4\omega_{pe} \text{ (sideloss for } L_{perp} = 100 \text{ um)}$$

$$\text{Krook relaxation: } \partial_t f|_{Krook} = v_K \cdot (n\hat{f}_0 - f)$$

Bounce number in linear field $\gg 1$

$$N_B = \frac{\omega_B}{2\pi v_K} = 14.3$$

Distribution for $k\lambda_{De} = 0.54$, $t \omega_{pe} = 750$:
phase-space vortices; x-avgd f flattened



¹ S. Brunner, E. J. Valeo, PRL 93, 145003 (2004).

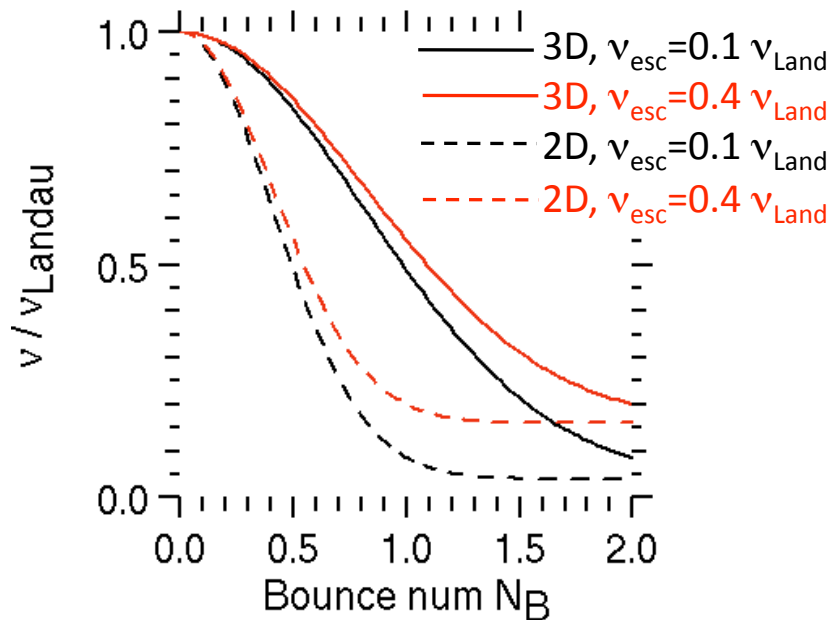
Reduced model by H. Rose, for Langmuir waves of finite transverse size

damping reduction: $\frac{\nu}{\nu_{\text{Landau}}} = f + 0.4(1-f) \frac{\nu_{\text{esc}}}{\nu_{\text{Landau}}}$ $f = \exp\left[-\ln 2 \cdot \left(\frac{2\pi}{3(D-1)}\right)^2 N_B^2\right]$ $D = \text{dimensionality} = 2,3$

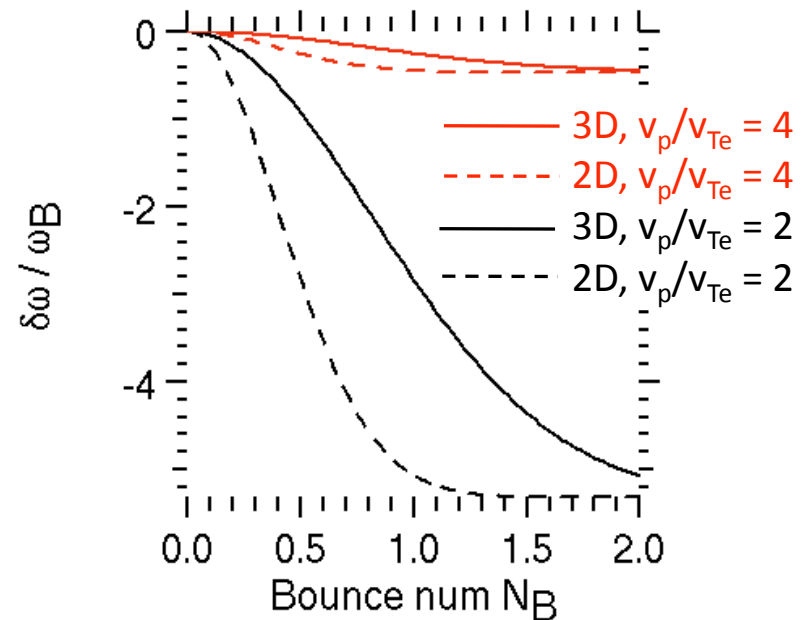
frequency shift: $\frac{\delta\omega}{\omega_B} = -0.88 \left(\frac{\nu_p}{\nu_{Te}}\right)^3 f_{\text{max}}''(\nu_p/\nu_{Te}) \cdot (1-f)$ $\frac{\nu_{\text{esc}}}{\nu_{\text{Landau}}} \sim \frac{\nu_{Te}}{L_{\perp}}$ Depends on $k\lambda_D, 2D/3D$

Benchmarked by transit-time damping and PIC calculations.

**Damping Reduction:
more rapid in 2D than 3D**



**Frequency Downshift:
rapidly increases with $k\lambda_D$**



DEplete¹ performs ray-based, steady-state backscatter calculations

Pump:	$\frac{d}{dz} I_0(z) = -\kappa_0 I_0 - I_0 \int d\omega_1 \frac{\omega_0}{\omega_1} (\tau_1 + \Gamma_1 i_1)$				
Scattered Light:	$\frac{\partial}{\partial z} i_1(z, \omega_1) = \kappa_1 i_1 - \Sigma_1 - I_0 (\tau_1 + \Gamma_1 i_1)$				
	inv. brems. damping	brems. source	Thomson scattering	SBS/SRS coupling	

The code DEplete does:

- use 1-D plasma conditions from 3-D ray-trace
- handle a spectrum of scattered frequencies
- use a strong damping limit plasma-wave
- deplete the laser pump
- use Thomson scatter/bremsstrahlung noise sources
- inverse-bremsstrahlung light wave damping
- use linear kinetic coupling coefficients
- include collisional damping of Langmuir waves
- model whole-beam focusing

The code DEplete does not:

- include temporal effects
- include laser speckle effects
- include multi-D effects

¹D. J. Strozzi, E. A. Williams, D. E. Hinkel, D. H. Froula, R. A. London, D. A. Callahan, Phys. Plasmas 15, 102703 (2008).